



Flow in Open Channels Formulas

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List of 19 Flow in Open Channels Formulas

Flow in Open Channels 🕑

1) Area of Flow for Circular Channel 🕑

fx
$$\mathbf{A} = \left(\mathbf{R}^2
ight) \cdot \left(heta - \left(rac{\sin(2 \cdot heta)}{2}
ight)
ight)$$

Open Calculator

$$\mathbf{x} \left[1.733345 \mathrm{m}^{_{2}} = \left((0.75 \mathrm{m})^{2} \right) \cdot \left(2.687 \mathrm{rad} - \left(\frac{\mathrm{sin}(2 \cdot 2.687 \mathrm{rad})}{2} \right) \right) \right]$$

2) Bazin's constant 🗹

fx
$$\mathbf{K} = \left(\sqrt{\mathbf{m}}\right) \cdot \left(\left(\frac{157.6}{\mathrm{C}}\right) - 1.81\right)$$

ex
$$0.531147 = \left(\sqrt{0.423m}\right) \cdot \left(\left(\frac{157.6}{60}\right) - 1.81\right)$$

3) Chezy's constant considering Bazin formula 🕑

Open Calculator

fx
$$C = \frac{157.6}{1.81 + \left(\frac{K}{\sqrt{m}}\right)}$$

ex $60.00518 = \frac{157.6}{1.81 + \left(\frac{0.531}{\sqrt{0.423m}}\right)}$

fx

4) Chezy's constant considering Kutter's formula 🕑

$$\overline{\mathrm{C}=rac{23+\left(rac{0.00155}{\mathrm{i}}
ight)+\left(rac{1}{\mathrm{n}}
ight)}{1+\left(23+\left(rac{0.00155}{\mathrm{i}}
ight)
ight)\cdot\left(rac{\mathrm{n}}{\sqrt{\mathrm{m}}}
ight)}}$$

$$\mathbf{ex} \ 60.72016 = \frac{23 + \left(\frac{0.00155}{0.005}\right) + \left(\frac{1}{0.0145}\right)}{1 + \left(23 + \left(\frac{0.00155}{0.005}\right)\right) \cdot \left(\frac{0.0145}{\sqrt{0.423\mathrm{m}}}\right)}$$

5) Chezy's constant considering Manning's formula 子

fx
$$\mathbf{C} = \left(rac{1}{n}
ight) \cdot \left(\mathbf{m}^{rac{1}{6}}
ight)$$

ex 59.75241 =
$$\left(\frac{1}{0.0145}\right) \cdot \left((0.423\mathrm{m})^{\frac{1}{6}}\right)$$

6) Chezy's constant considering velocity 🕑

fx
$$C = \frac{v}{\sqrt{m \cdot i}}$$

ex $60.01418 = \frac{2.76 \text{m/s}}{\sqrt{0.423 \text{m} \cdot 0.005}}$

Open Calculator

Open Calculator 🕑

Open Calculator

7) Critical depth considering flow in open channels 🕑

$$\begin{aligned} & \mathbf{\hat{k}} \quad \mathbf{h}_{c} = \left(\frac{q^{2}}{[g]}\right)^{\frac{1}{3}} & \text{Open Calculator } \mathbf{\hat{k}} \\ & \mathbf{\hat{k}}_{c} = \left(\frac{q^{2}}{[g]}\right)^{\frac{1}{3}} \\ & \mathbf{\hat{k}} \\ & \mathbf{\hat{k}}_{c} = \left(\frac{2}{3}\right) \cdot \mathbf{E}_{min} \\ & \mathbf{\hat{k}}_{c} = \left(\frac{2}{3}\right) \cdot \mathbf{E}_{min} \\ & \mathbf{\hat{k}} \\ & \mathbf{\hat{k}}_{c} = \left(\frac{2}{3}\right) \cdot \mathbf{E}_{min} \\ & \mathbf{\hat{k}} \\ & \mathbf{\hat{k}}_{c} = \left(\frac{2}{3}\right) \cdot \mathbf{\hat{k}}_{smin} \\ & \mathbf{\hat{k}} \\ & \mathbf{\hat{k}}_{c} = \frac{V_{c}^{2}}{[g]} \\ & \mathbf{\hat{k}}$$



10) Critical velocity considering flow in open channels 子

$$V_{c} = \sqrt{[g] \cdot h_{c}}$$

$$V_{c} = \sqrt{[g] \cdot h_{c}}$$

$$1.953148 \text{m/s} = \sqrt{[g] \cdot 0.389 \text{m}}$$

$$11) \text{ Discharge per unit width considering flow in open channels } \textbf{C}$$

$$q = \sqrt{(h_{c}^{3}) \cdot [g]}$$

$$12) \text{ Hydraulic mean depth considering Bazin formula } \textbf{C}$$

$$m = \left(\frac{K}{\left(\left(\frac{157.6}{C}\right) - 1.81\right)}\right)^{2}$$

$$13) \text{ Hydraulic mean depth considering Manning's formula } \textbf{C}$$

$$m = (C \cdot n)^{6}$$

$$0.433626 \text{m} = (60 \cdot 0.0145)^{6}$$



14) Hydraulic mean depth using Chezy's formula 🕑

$$fx m = \left(\frac{1}{i}\right) \cdot \left(\frac{v}{C}\right)^2$$

$$ex 0.4232m = \left(\frac{1}{0.005}\right) \cdot \left(\frac{2.76m/s}{60}\right)^2$$

$$Open Calculator C$$

15) Manning's coefficient or constant 🕑

fx
$$n = \left(rac{1}{C}
ight) \cdot m^{rac{1}{6}}$$

ex
$$0.01444 = \left(\frac{1}{60}\right) \cdot (0.423 \mathrm{m})^{\frac{1}{6}}$$

16) Minimum Specific Energy using Critical Depth 🕑

fx
$$\mathbf{E}_{\min} = \left(\frac{3}{2}\right) \cdot \mathbf{h}_{\mathrm{c}}$$

ex $0.5835\mathrm{m} = \left(\frac{3}{2}\right) \cdot 0.389\mathrm{m}$

17) Radius of Circular Channel using Wetted Perimeter 🕑



Open Calculator 🖸

Open Calculator 🖸



ex $4.0305m = 2 \cdot 0.75m \cdot 2.687rad$





Variables Used

- **A** Area of Flow of Circular Channel (Square Meter)
- C Chezy's Constant for Flow in Open Channel
- Emin Minimum Specific Energy for Open Channel Flow (Meter)
- **h**_c Critical Depth for Flow in Open Channel (*Meter*)
- i Slope of Bed of Open Channel
- K Bazin's Constant for Flow in Open Channel
- **m** Hydraulic Mean Depth for Open Channel (Meter)
- **n** Manning's Coefficient for Open Channel Flow
- P Wetted Perimeter of Circular Open Channel (Meter)
- **q** Discharge Per Unit Width in Open Channel (Square Meter per Second)
- R Radius of Circular Open Channel (Meter)
- V Flow Velocity in Open Channel (Meter per Second)
- V_c Critical Velocity for Flow in Open Channel (Meter per Second)
- **θ** Half Angle by Water Surface in Circular Channel (*Radian*)



Constants, Functions, Measurements used

- Constant: [g], 9.80665 Gravitational acceleration on Earth
- Function: sin, sin(Angle) Sine is a trigonometric function that describes the ratio of the length of the opposite side of a right triangle to the length of the hypotenuse.
- Function: sqrt, sqrt(Number) A square root function is a function that takes a non-negative number as an input and returns the square root of the given input number.
- Measurement: Length in Meter (m) Length Unit Conversion
- Measurement: Area in Square Meter (m²) Area Unit Conversion
- Measurement: Speed in Meter per Second (m/s)
 Speed Unit Conversion
- Measurement: Angle in Radian (rad) Angle Unit Conversion
- Measurement: Kinematic Viscosity in Square Meter per Second (m²/s)
 Kinematic Viscosity Unit Conversion



Check other formula lists

Flow in Open Channels
 Formulas

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